



Suggestion 1. Show that the separated equations obtained are identical to those for case (B) from class, except that the boundary condition on Y is changed to $Y(b) = 0$.

Suggestion 2. Use the solution for X given in class. When solving the Y equation, express the solution using hyperbolic functions.

Suggestion 3. The boundary condition on Y should take the form $A r(b) + B s(b) = 0$ (for some functions r and s). At this point it is convenient to choose $A = s(b)$ and $B = -r(b)$.

Suggestion 4. The identity $\sinh(\alpha \pm \beta) = \sinh(\alpha) \cosh(\beta) \pm \sinh(\beta) \cosh(\alpha)$ may be helpful.