# An Introduction to LATEX

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Trinity University

Intro to Abstract Math February 24, 2020

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  - \* Other packages, such as WinEdt for Windows, can be purchased for a small fee.

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A simple generic LATEX document is created. The source appears on the left, the compiled document on the right.



## "Blank Project" Source

```
\documentclass{article}
\usepackage[utf8]{inputenc}
\title{My Project}
\author{My Name}
\date{February 2020}
\begin{document}
\maketitle
\section{Introduction}
\end{document}
```

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Let P and Q be statements.

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 e^{2x} yields  $e^{2x}$ 

$$A = {(x,y) | e^{xy} = 1}$$
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 $E = \{ n \in \mathbb{Z} \ , \ | \ , n \in \}$  vields

$$E = \{ n \in \mathbb{Z} \, | \, n \text{ is even} \}$$

• The greek alphabet:

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- Blackboard bold:  $\mathbb{N}, \mathbb{Z}, \mathbb{Q}, \mathbb{R}$

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$$\sum_{n=1}^{\int \int {n^2}=\frac{n^2}{6}}$$
 yields

$$\sum_{n=1}^{\infty} \frac{1}{n^2} = \frac{\pi^2}{6}$$
.

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$$\begin{array}{l} \sum_{n=1}^{\infty} \frac{1}{n^2} = \frac{\pi^2}{6} \\ & \text{yields} \\ \sum_{n=1}^{\infty} \frac{x^3}{5} \\ & \text{dx} \end{array}$$

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**Option 1:** Use **display mode** by enclosing expressions between  $\[$  and  $\]$ .



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yields  $\int_{-2}^{10} \frac{x^3}{5} dx$ .

There are two ways around this.

**Option 1:** Use **display mode** by enclosing expressions between \[ and \].

Option 2: Use \displaystyle.



```
An equation in display mode: 
 \[ \sum_{n=1}^{\infty} \frac{1}{n^2} = \frac{\pi^2}{6}. 
 \]
```

An equation in display mode:  $\label{limit} $$ \sum_{n=1}^{\int \int x_n^2} = \frac{\pi^2}{6}.$ 

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A large inline expression:  $\frac{-2}^{10} \frac{x^3}{5} dx$ .

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- After a few moments, in-class.zip will open in the editing (left) pane.

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(b) 
$$\frac{dy}{dx} = \tan x + x^{4/3}$$

After adjusting the title and changing the author's name to your own, scroll to the appropriate regions and code the following:

(a) 
$$f(x) = \sqrt[3]{x^3 + 1}$$

• 
$$f(x) = \sqrt{3}{x^3 + 1}$$

(b) 
$$\frac{dy}{dx} = \tan x + x^{4/3}$$

•  $\displaystyle \frac{dy}{dx} = \tan x + x^{4/3}$ 



(c) 
$$\Gamma(s) = \int_0^\infty e^{-x} x^{s-1} dx$$

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• \$\displaystyle \Gamma(s) = \int\_0^{\infty}
e^{-x} x^{s-1} \, dx\$

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$$\left(\frac{x}{2} + \frac{y}{3}\right)^2.$$

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A matrix can be built using the array environment.

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The & is an alignment tab, and \\ indicates the end of a row.



Code the following

$$\mathbf{a} \times \mathbf{b} = \left| \begin{array}{ccc} \mathbf{i} & \mathbf{j} & \mathbf{k} \\ a_1 & a_2 & a_3 \\ b_1 & b_2 & b_3 \end{array} \right|$$

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### Theorem environments

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\end{thm}
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For any  $a,b\in\mathbb{C}$ , we have  $|a+b|\leq |a|+|b|$ .

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\end{thm}
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```
\begin{equation}\label{divisorsum}
g(n) = \sum_{d|n} f(d)
\end{equation}
Here's a reference to equation \eqref{divisorsum}.
```



LATEX automatically keeps track of and increments equation labels.

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If g is defined by (1), then

$$f(n) = \sum_{d|n} \mu(d)g\left(\frac{n}{d}\right). \tag{2}$$

Equation (2) is called the Möbius inversion formula.

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```
If $g$ is defined by \eqref{divisorsum}, then
\begin{equation}\label{inversion}
f(n) = \sum_{d|n} \mu(d) g\left( \frac{n}{d} \right).
\end{equation}
Equation \eqref{inversion} is called the
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#### Tables - the tabular environment

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P	Q	$P \to Q$
$\overline{T}$	T	T
T	F	F
F	T	T
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$$\begin{array}{c|cc} P & Q & P \rightarrow Q \\ \hline T & T & T \\ T & F & F \\ F & T & T \\ F & F & T \end{array}$$

```
\begin{tabular}{c c | c}
$P$ & $Q$ & $P \to Q$ \\ \hline
$T$ & $T$ & $T$ \\
$T$ & $F$ & $F$ \\
$F$ & $T$ & $T$ \\
$F$ & $T$ & $T$ \\
$end{tabular}
```

The argument {c c | c} specifies three (horizontally)
 centered columns,

• &'s separate entries in a row;

• &'s separate entries in a row; \\ ends a row.

• &'s separate entries in a row; \\ ends a row.

• \hline draws a horizontal line below a row.

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Entries in math mode must all be enclosed in \$...\$.

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Anything you're trying to do with LATEX someone else has probably already done. Don't reinvent the wheel!

# Happy TeXing!

